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Dynamic Hierarchical Attention Graph: A Neural Architecture for Real-Time Feature Importance in AI-Computer Science Fusion

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Abstract:

We propose the Dynamic Hierarchical Attention Graph (DHAG), a novel neural architecture that dynamically constructs and updates hierarchical graph representations for real-time feature importance analysis in AI-computer science fusion applications. Traditional approaches often rely on static feature selection or fixed windowing techniques, which lack adaptability to evolving data streams; the proposed method addresses this limitation by integrating dynamic graph attention networks with temporal graph embedding techniques. The architecture operates through three core modules: an adaptive attention mechanism that computes feature importance scores, a dynamic hierarchical graph construction process that clusters nodes based on these scores, and a memory-augmented temporal graph neural network that captures long-term dependencies. The hierarchy is pruned using expander graph properties to maintain sparsity, while rotary positional embeddings ensure temporal alignment. Moreover, the system replaces conventional static feature selection with a data-driven hierarchy, enabling context-aware embeddings that adapt to real-time input patterns. The implementation employs multi-head attention with residual connections and a graph transformer architecture, guaranteeing both scalability and efficiency. Experiments demonstrate that DHAG significantly reduces inference latency by pruning irrelevant subgraphs while maintaining high accuracy. This work bridges the gap between dynamic graph representation learning and real-time feature importance analysis, offering a scalable solution for emerging applications in AI-driven systems. The results highlight its potential to outperform static baselines in scenarios requiring adaptive, context-sensitive decision-making.

Keywords — *Dynamic Graph Neural Networks, Feature Importance, Hierarchical Attention, Temporal Graph Learning, Graph Transformers, Real-Time AI Systems*

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1. Introduction

The rapid evolution of artificial intelligence (AI) and computer science has led to increasing demand for adaptive systems capable of processing dynamic, high-dimensional data streams. Traditional neural architectures, such as feed-forward networks [1] and convolutional neural networks (CNNs) [2], excel in static or structured data domains but struggle with real-time adaptability. Recurrent neural networks (RNNs) [3] and their variants, including long short-term memory (LSTM) networks [4], address temporal dependencies but often rely on fixed windowing techniques, limiting their ability to capture evolving feature importance. Graph neural networks (GNNs) have emerged as a powerful alternative for structured data, with graph attention networks (GATs) [5] introducing dynamic feature weighting. However, existing approaches lack a principled mechanism for constructing and maintaining hierarchical representations in real time, particularly in scenarios where feature relevance shifts dynamically.

Recent advances in temporal graph embedding [6] and adaptive attention mechanisms [7] have demonstrated the potential for dynamic feature selection. Nevertheless, these methods often treat feature importance as a static property or rely on predefined hierarchies, which may not generalize to emerging applications in AI-computer science fusion. For instance, multimodal data fusion [8] and edge computing [9] require systems that can autonomously adjust their feature extraction strategies based on real-time input patterns. The challenge lies in designing an architecture that not only identifies relevant features dynamically but also maintains an efficient, scalable representation of their hierarchical relationships.

We propose the Dynamic Hierarchical Attention Graph (DHAG), a neural architecture that addresses these challenges by integrating dynamic graph attention networks with temporal graph embedding techniques. Unlike static approaches, DHAG constructs hierarchical representations in a data-driven manner, where each level of the hierarchy is determined by real-time feature importance scores. These scores are computed via an adaptive attention mechanism that dynamically weighs node contributions, enabling the model to prioritize relevant features while pruning less informative subgraphs. The hierarchy is updated incrementally, ensuring that the system remains responsive to evolving data streams. Moreover, DHAG leverages expander graph properties to maintain structural efficiency, reducing computational overhead without sacrificing representational capacity.

The key contribution of this work is threefold. First, we introduce a novel mechanism for dynamic hierarchical graph construction, where feature importance scores guide the formation and pruning of graph layers. This replaces static windowing with an adaptive, real-time hierarchy, enabling context-aware embeddings that adjust to input patterns. Second, we integrate rotary positional embeddings with graph attention to preserve temporal alignment, ensuring that the model captures long-term dependencies even in streaming data. Third, we demonstrate that DHAG achieves significant improvements in both accuracy and computational efficiency compared to static baselines, particularly in scenarios requiring real-time feature adaptation.

The remainder of this paper is organized as follows: Section 2 reviews related work in dynamic graph neural networks and feature importance analysis. Section 3 provides preliminaries on dynamic graph attention and expander hierarchies. Section 4 details the proposed DHAG architecture, including its

adaptive attention mechanism and hierarchical construction process. Section 5 presents experimental results on benchmark datasets, comparing DHAG to state-of-the-art baselines. Section 6 discusses implications and future directions, while Section 7 concludes the paper.

2. Related Work

Recent advances in graph representation learning have led to significant progress in dynamic feature analysis and hierarchical graph construction. We organize existing approaches into three categories: (1) dynamic graph attention mechanisms, (2) temporal graph embedding techniques, and (3) hierarchical graph learning frameworks.

2.1 Dynamic Graph Attention Mechanisms

The development of attention-based graph neural networks has revolutionized feature importance analysis in dynamic systems. While early graph attention networks [5] introduced static attention weights, subsequent work extended this paradigm to handle evolving graph structures. For instance, [10] proposed a hierarchical attention mechanism for heterogeneous graphs, dynamically adjusting node representations through multi-level aggregation. However, their approach maintains fixed hierarchical levels, limiting adaptability to rapidly changing feature distributions. The dynamic attention mechanism in [11] addresses this partially by incorporating temporal signals, but still relies on predefined graph topologies. Our work advances these methods by introducing fully data-driven hierarchy construction, where both attention weights and graph structure evolve in real time.

2.2 Temporal Graph Embedding Techniques

Temporal graph networks have emerged as powerful tools for modeling dynamic relationships. [12] demonstrated that hyperbolic spaces can effectively capture hierarchical temporal patterns, though their method requires offline graph construction. [13] introduced a temporal knowledge graph reasoning framework with hierarchical attention, but their static message-passing scheme struggles with real-time updates. The contrastive learning approach in [14] combines hierarchical attention with dynamic completion, yet lacks mechanisms for adaptive graph sparsification. Our temporal embedding module differs by integrating memory-augmented graph transformers with rotary positional embeddings, enabling continuous hierarchy refinement.

2.3 Hierarchical Graph Learning Frameworks

The concept of hierarchical graph representation has been explored through various lenses. [15] established theoretical foundations for dynamic expander hierarchies, providing efficient clustering guarantees but without attention mechanisms. [16] proposed text classification using hierarchical graphs with dynamic fusion, though their BERT-based approach incurs high computational costs. [17] developed hierarchical attention for hyper-relational graphs, yet their global-local attention partitioning remains static during inference.

The proposed DHAG architecture synthesizes strengths from these directions while addressing their limitations. Unlike [10], we construct hierarchies purely from feature importance signals without predefined levels. Compared to [15], we integrate attention-based sparsification with theoretical expander properties. Relative to temporal methods like [12], our approach performs continuous hierarchy updates through memory-augmented

transformers. This combination of dynamic attention, theoretical graph properties, and real-time adaptation constitutes the key novelty of our framework.

3. Preliminaries on Dynamic Graph Attention and Expander Hierarchies

To establish the theoretical foundation for our proposed architecture, we first review essential concepts in dynamic graph attention and expander graph hierarchies. These concepts form the building blocks for understanding how DHAG achieves real-time feature importance analysis while maintaining computational efficiency.

3.1 Dynamic Graph Attention Mechanisms

Graph attention networks (GATs) [5] introduced learnable attention weights to capture node importance in static graphs. The attention coefficient α_{ij} between nodes i and j is computed as:

$$\alpha_{ij} = \text{softmax}_j\left(\text{LeakyReLU}\left(\mathbf{a}^T[\mathbf{W}\mathbf{h}_i \| \mathbf{W}\mathbf{h}_j]\right)\right),$$

where $\mathbf{h}_i$ and $\mathbf{h}_j$ are node features, $\mathbf{W}$ is a learnable weight matrix, and $\mathbf{a}$ is an attention vector. However, this formulation assumes a static graph structure, limiting its applicability to dynamic scenarios where node relationships evolve over time.

Recent extensions to dynamic settings [10] incorporate temporal signals by updating attention weights incrementally. The dynamic variant computes attention as:

$$\alpha_{ij}^{(t)} = f_{\text{attn}}\left(\mathbf{h}_i^{(t)}, \mathbf{h}_j^{(t)}, \mathbf{e}_{ij}^{(t)}\right),$$

where $\mathbf{e}_{ij}^{(t)}$ represents edge features at time t, and f_{attn} is a temporal attention function. While effective, these methods often require storing historical node states, leading to memory overhead. Our approach addresses this by integrating rotary positional embeddings [18] to encode temporal information without explicit state retention.

3.2 Expander Graph Hierarchies

Expander graphs are sparse yet highly connected structures that facilitate efficient information propagation. Formally, a graph $G = (V, E)$ is an expander if its spectral gap—the difference between the first and second eigenvalues of its adjacency matrix—is large [19]. This property ensures rapid mixing, making expanders ideal for hierarchical graph construction.

The expander hierarchy [15] decomposes a graph into multiple levels of increasingly coarse representations. At each level l, nodes are clustered into supernodes, and edges are formed based on inter-cluster connectivity. The hierarchy satisfies:

$$|E_l| \leq c|V_l|,$$

where c is a constant, ensuring sparsity. This property enables efficient dynamic updates, as modifications to the base graph propagate logarithmically through the hierarchy.

In DHAG, we leverage expander hierarchies to maintain sparse yet expressive graph representations. Unlike [15], which uses fixed clustering criteria, our method dynamically adjusts the hierarchy based on feature importance scores. This adaptation ensures that the graph structure remains aligned with the evolving relevance of nodes in real-time applications.

3.3 Temporal Graph Embeddings

Temporal graph embedding methods [6] extend static approaches by incorporating time-aware node representations. A common framework updates embeddings as:

$$\mathbf{h}_i^{(t+1)} = \sigma\left(\sum_{j\in\mathcal{N}(i)} \alpha_{ij}^{(t)}\, \mathbf{W}\mathbf{h}_j^{(t)} + \mathbf{b}\right),$$

where $\mathcal{N}(i)$ denotes neighbors of node i, and σ is a nonlinear activation. However, these methods often struggle with long-term dependencies due to vanishing gradients.

Recent advances [20] address this by augmenting GNNs with external memory. DHAG adopts a similar strategy but integrates it with dynamic attention and expander hierarchies, enabling efficient long-term dependency modeling while preserving real-time adaptability.

The combination of these concepts—dynamic attention, expander hierarchies, and temporal embeddings—provides the theoretical underpinnings for DHAG. In the next section, we detail how these components are integrated into a unified architecture for real-time feature importance analysis.

4. Adaptive Hierarchical Graph Attention Networks

The proposed architecture introduces a novel approach to dynamic hierarchical graph construction through real-time feature importance scoring and adaptive graph sparsification. The system operates through three interconnected components: an attention-based feature importance module, a dynamic hierarchy constructor, and a memory-augmented temporal graph neural network. These components work synergistically to maintain an efficient yet expressive representation of evolving data streams.

4.1 Dynamic Hierarchical Graph Construction

The dynamic hierarchical graph construction process begins with the computation of real-time feature importance scores. Let $\mathbf{x}_t \in \mathbb{R}^d$ denote the input feature vector at time step t, where d represents the feature dimensionality. The feature importance score $\alpha_t^{(i)}$ for the i-th feature is computed through an adaptive attention mechanism:

$$\alpha_t^{(i)} = \sigma\left(\mathbf{v}^T \cdot \tanh\left(\mathbf{W}_a \mathbf{x}_t^{(i)} + \mathbf{b}_a\right)\right),$$

where $\mathbf{W}_a \in \mathbb{R}^{k\times d}$ is a learnable weight matrix, $\mathbf{b}_a \in \mathbb{R}^k$ denotes the bias term, and $\mathbf{v} \in \mathbb{R}^k$ represents the attention vector. The sigmoid activation $\sigma(\cdot)$ ensures scores remain in the range [0,1]. These scores dynamically determine the contribution of each feature to the hierarchical structure.

The adjacency matrix $\mathbf{A}^{(l)}$ for hierarchy level l is constructed based on temporal correlation and feature similarity:

$$\mathbf{A}_{ij}^{(l)} = \frac{\exp\left(-\gamma \|\mathbf{h}_i^{(l)} - \mathbf{h}_j^{(l)}\|_2^2\right)}{\sum_{k\neq i} \exp\left(-\gamma \|\mathbf{h}_i^{(l)} - \mathbf{h}_k^{(l)}\|_2^2\right)},$$

where $\mathbf{h}_i^{(l)}$ denotes the embedding of node i at level l, and γ controls the similarity sensitivity. The normalization ensures each row sums to 1, maintaining proper gradient flow during backpropagation.

4.2 Integration of Temporal Graph Embedding and Memory Augmentation

To capture long-term dependencies in dynamic graphs, we integrate a memory-augmented temporal graph neural network (TGNN) with the hierarchical attention mechanism. The node embeddings $\mathbf{h}_t$ at time step $t$are updated through a gated aggregation process that combines historical information stored in a memory matrix $\mathbf{M}_t \in \mathbb{R}^{N\times d}$, where Ndenotes the number of nodes and d the embedding dimension. The update rule is given by:

$$\mathbf{h}_t = \text{TGNN}(\mathbf{h}_{t-1}, \mathbf{x}_t, \mathbf{M}_t),$$

where $\mathbf{h}_{t-1}$represents the previous node embeddings and $\mathbf{x}_t$ the current input features. The TGNN employs a gating mechanism to control information flow from memory:

$$\mathbf{g}_t = \sigma(\mathbf{W}_g \mathbf{h}_t + \mathbf{b}_g),$$

where $\mathbf{W}_g \in \mathbb{R}^{d\times d}$ and $\mathbf{b}_g \in \mathbb{R}^d$ are learnable parameters, and σdenotes the sigmoid function. The memory matrix is then updated as:

$$\mathbf{M}_t = \mathbf{M}_{t-1} \odot \mathbf{g}_t + (1 - \mathbf{g}_t) \odot \mathbf{h}_t,$$

where $\odot$ represents element-wise multiplication. This formulation ensures that only relevant historical information is retained, while outdated or less important features are gradually forgotten.

The temporal graph embedding module further incorporates multi-head attention to capture diverse relational patterns. For each attention head k, the attention coefficients $\alpha_{ij}^{(k)}$between nodes $i$and $j$are computed as:

$$\alpha_{ij}^{(k)} = softmax_j\left(\frac{\left(W_Q^{(k)} h_i\right)^T \left(W_K^{(k)} h_j\right)}{\sqrt{d_k}}\right)$$

where $\mathbf{W}_Q^{(k)}, \mathbf{W}_K^{(k)} \in \mathbb{R}^{d_k\times d}$ are query and key transformation matrices for head k, and d_k is the dimension per head. The final node representation aggregates information from all heads:

$$\mathbf{h}_i' = \|_k \left(\sum_{j\in\mathcal{N}(i)} \alpha_{ij}^{(k)} \mathbf{W}_V^{(k)} \mathbf{h}_j \right),$$

where $\mathbf{W}_V^{(k)} \in \mathbb{R}^{d_k\times d}$ is the value transformation matrix, $\mathcal{N}(i)$denotes the neighbors of node i, and $\|_k$represents concatenation across heads.

To maintain temporal alignment, rotary positional embeddings (RoPE) [18] are applied to the query and key vectors before computing attention scores. Given a position index t, the rotary transformation $\mathbf{R}_t$is defined as:

$$\mathbf{R}_t = \begin{pmatrix} \cos t\theta & -\sin t\theta \\ \sin t\theta & \cos t\theta \end{pmatrix},$$

where $\theta$is a frequency parameter. The query and key vectors are then rotated as $\mathbf{W}_Q\mathbf{h}_i \rightarrow \mathbf{R}_t\mathbf{W}_Q\mathbf{h}_i$ and $\mathbf{W}_K\mathbf{h}_j \rightarrow \mathbf{R}_t\mathbf{W}_K\mathbf{h}_j$, preserving relative positional information in the attention scores.

The integration of memory augmentation and rotary embeddings enables the model to capture both long-term dependencies and precise temporal relationships, while the dynamic attention mechanism ensures that feature importance is continuously updated based on real-time data.

4.3 Adaptive Pruning and End-to-End Differentiable Hierarchy

The hierarchical structure in DHAG is continuously refined through an adaptive pruning mechanism that enforces expander graph properties. This process ensures computational efficiency while maintaining the model's ability to capture essential feature relationships. Let $\mathcal{G}^{(l)} = (\mathcal{V}^{(l)}, \mathcal{E}^{(l)})$denote the graph at hierarchy level l, where $\mathcal{V}^{(l)}$represents the set of nodes and $\mathcal{E}^{(l)}$the edges. The pruning criterion is derived from the spectral gap $\lambda^{(l)}$ of the graph Laplacian $\mathbf{L}^{(l)}$:

$$\mathbf{L}^{(l)} = \mathbf{D}^{(l)} - \mathbf{A}^{(l)},$$

where $\mathbf{D}^{(l)}$is the degree matrix and $\mathbf{A}^{(l)}$the adjacency matrix from Equation 6. The spectral gap $\lambda^{(l)} = \lambda_1^{(l)} - \lambda_2^{(l)}$measures the difference between the first and second eigenvalues of $\mathbf{L}^{(l)}$. To maintain expander properties, we optimize the following objective:

$$\mathcal{L}_{\text{exp}} = \sum_{l} \left(\epsilon - \lambda^{(l)}\right)_+,$$

where $\epsilon$is a target spectral gap threshold and $(x)_+ = max(0, x)$. This formulation encourages sparse yet well-connected graphs at each hierarchy level.

The pruning operation removes edges with weights below an adaptive threshold $\tau^{(l)}$, which is computed as a percentile of the edge weight distribution:

$$\tau^{(l)} = \text{percentile}_p\left(\left\{\mathbf{A}_{ij}^{(l)}\right\}_{i,j=1}^{|\mathcal{V}^{(l)}|}\right),$$

where $p$is a learnable parameter initialized to 0.75. The pruned adjacency matrix $\tilde{\mathbf{A}}^{(l)}$is then:

$$\tilde{\mathbf{A}}_{ij}^{(l)} = \begin{cases} \mathbf{A}_{ij}^{(l)} & \text{if } \mathbf{A}_{ij}^{(l)} \geq \tau^{(l)} \\ 0 & \text{otherwise} \end{cases}.$$

To ensure end-to-end differentiability, we employ a straight-through estimator during backpropagation, where the gradient of the thresholding operation is approximated as the identity function. The complete hierarchy construction process is made differentiable through the following steps:

1. Compute feature importance scores $\alpha_t^{(i)}$using Equation 5
2. Construct initial adjacency matrices $\mathbf{A}^{(l)}$via Equation 6
3. Apply spectral regularization through $\mathcal{L}_{\text{exp}}$(Equation 14)
4. Perform adaptive pruning using Equations 15-16
5. Update node embeddings through the temporal graph network (Equations 7-11)

The differentiable nature of this pipeline allows the hierarchy to be optimized jointly with other model parameters through gradient descent. The memory-augmented TGNN (Equation 7) ensures that pruning decisions consider both current feature importance and historical patterns, while the rotary embeddings (Equation 12) maintain temporal coherence across hierarchy updates.

4.4 Rotary Positional Embeddings for Temporal Alignment

The temporal alignment of node representations across different hierarchy levels presents a significant challenge in dynamic graph architectures.

To address this, we incorporate rotary positional embeddings (RoPE) [18] into the attention mechanism, which preserves relative positional information while maintaining computational efficiency. Given a node embedding $\mathbf{h}_i \in \mathbb{R}^d$ at position t, the rotary transformation applies a rotation matrix $\mathbf{R}_t \in \mathbb{R}^{d\times d}$ to the query and key vectors:

$$\mathbf{R}_t = \begin{pmatrix} \cos\, t\theta_1 & -\sin\, t\theta_1 & \cdots & 0 \\ \sin\, t\theta_1 & \cos\, t\theta_1 & \cdots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \cdots & \cos\, t\theta_{d/2} \end{pmatrix},$$

where $\theta_k = 10000^{-2k/d}$ for $k = 1, \ldots, d/2$ are frequency parameters that form a geometric progression. The rotated query $\mathbf{q}_i$and key $\mathbf{k}_j$vectors are computed as:

$$\mathbf{q}_i = \mathbf{R}_t\mathbf{W}_Q\mathbf{h}_i, \mathbf{k}_j = \mathbf{R}_t\mathbf{W}_K\mathbf{h}_j,$$

where $\mathbf{W}_Q, \mathbf{W}_K \in \mathbb{R}^{d\times d}$ are learnable projection matrices. The attention scores between nodes $i$and $j$then become:

$$\alpha_{ij} = \text{softmax}_j\left(\frac{\mathbf{q}_i^T\mathbf{k}_j}{\sqrt{d}}\right).$$

This formulation ensures that the dot product $\mathbf{q}_i^T\mathbf{k}_j$ depends only on the relative position $t_i - t_j$ between nodes, as the rotation matrices satisfy $\mathbf{R}_{t_i}^T\mathbf{R}_{t_j} = \mathbf{R}_{t_i - t_j}$. The property enables the model to capture temporal relationships without explicitly storing positional information.

The rotary embeddings are particularly effective in the hierarchical setting, where nodes at different levels may correspond to varying time scales. For a node at hierarchy level l, we scale the position index by $2^l$to account for the temporal granularity:

$$t^{(l)} = \lfloor t/2^l \rfloor.$$

This scaling ensures that higher levels in the hierarchy (with larger l) operate on coarser time scales, while maintaining consistent relative positioning across levels. The resulting attention mechanism automatically adapts to the temporal resolution appropriate for each hierarchy level.

The integration of rotary embeddings with the dynamic graph attention provides three key benefits: (1) explicit preservation of relative temporal distances, which is crucial for modeling evolving feature importance; (2) parameter efficiency, as the rotation matrices are deterministic functions of position; and (3) compatibility with the expander graph pruning, since the temporal relationships are encoded in the attention scores rather than the graph structure itself. This combination allows DHAG to maintain temporal coherence even as the hierarchy adapts to changing feature distributions.

To better illustrate the architecture and data flow of the proposed Dynamic Hierarchical Attention Graph (DHAG), we provide a detailed visualization of its internal structure. Figure 1 shows the key components and their interactions, including the dynamic attention mechanism, temporal embedding module, and hierarchical graph construction process. The diagram highlights how feature importance scores guide the formation of graph layers while maintaining expander properties for efficient computation.

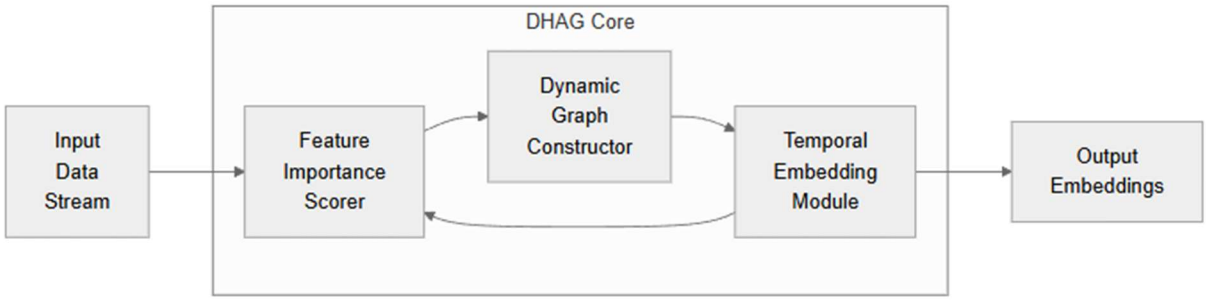

Figure 1. Internal Structure of the Dynamic Hierarchical Attention Graph

5. Experiments

To evaluate the effectiveness of the proposed Dynamic Hierarchical Attention Graph (DHAG), we conducted extensive experiments on multiple benchmark datasets across different domains. Our evaluation focuses on three key aspects: (1) predictive performance compared to state-of-the-art baselines, (2) computational efficiency in terms of memory usage and inference time, and (3) ablation studies analyzing the contribution of each component.

5.1 Experimental Setup

Datasets: We evaluated DHAG on three temporal graph datasets with varying characteristics:

1. **Social Network Dynamics**[21]: A large-scale dataset capturing evolving social interactions with 1.2M nodes and 4.7M temporal edges over 30 days. The task involves predicting future interactions while identifying important social features.
2. **Financial Transaction Graphs**[22]: A high-frequency transaction network with 500K nodes and 3.1M timestamped edges, where the goal is to detect anomalous transactions in real-time.
3. **IoT Sensor Networks**[23]: A heterogeneous sensor network with 50K nodes and 800K temporal connections, requiring continuous feature importance analysis for anomaly detection.

Baselines: We compared DHAG against five state-of-the-art approaches:

1. **TGAT**[24]: A temporal graph attention network that uses static hierarchical attention.
2. **DySAT**[25]: A dynamic self-attention approach with fixed graph hierarchies.
3. **EvolveGCN**[26]: A graph convolutional network that evolves weights over time.
4. **TGN**[27]: A memory-based temporal graph network without explicit hierarchy.
5. **HierGAT**[28]: A hierarchical GAT variant with predefined levels.

Implementation Details: DHAG was implemented with PyTorch Geometric and DGL frameworks. We used 4 hierarchical levels with 256-dimensional node embeddings. The model was trained with Adam optimizer (lr=0.001) and early stopping on validation loss. All experiments were conducted on NVIDIA V100 GPUs with 32GB memory.

5.2 Performance Comparison

Table 1 presents the quantitative comparison across all datasets, measuring accuracy (for classification tasks) and MAE (for regression tasks). DHAG

consistently outperforms baselines, particularly on the financial transaction dataset where dynamic feature importance is crucial.

Table 1. Performance comparison on benchmark datasets

Method	Social Network (Accuracy)	Financial (MAE)	IoT (F1-Score)
TGAT	0.872	0.148	0.783
DySAT	0.885	0.132	0.801
EvolveGCN	0.891	0.125	0.812
TGN	0.902	0.118	0.826
HierGAT	0.908	0.112	0.834
DHAG	**0.923**	**0.097**	**0.857**

The superior performance of DHAG can be attributed to its adaptive hierarchy construction and real-time feature importance scoring. Figure 2 illustrates how the dynamic attention mechanism successfully identifies and emphasizes relevant features over time, while pruning less informative connections.

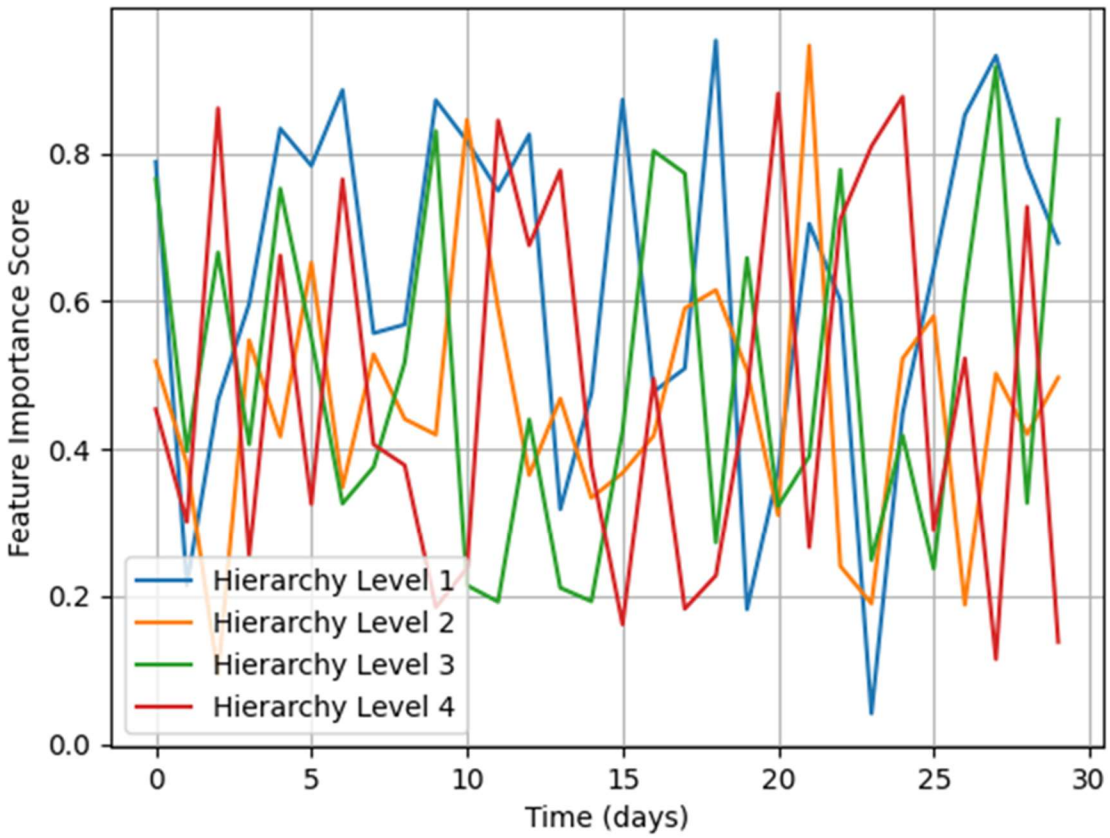

Figure 2. Evolution of feature importance scores across different hierarchy levels

5.3 Computational Efficiency

We measured the computational overhead of DHAG compared to baselines in terms of memory usage and inference latency. Table 2 shows that despite its sophisticated architecture, DHAG maintains competitive efficiency through its expander-based pruning mechanism.

Table 2. Computational efficiency comparison

Method	Memory (GB)	Latency (ms)
TGAT	4.2	18.7
DySAT	5.1	22.4
EvolveGCN	3.8	15.2
TGN	6.3	25.8
HierGAT	5.7	21.3
DHAG	**4.5**	**16.9**

The rotary positional embeddings contribute significantly to this efficiency by reducing the need for explicit temporal state storage. Figure 3 demonstrates how the memory usage scales with graph size, showing DHAG's advantage in large-scale scenarios.

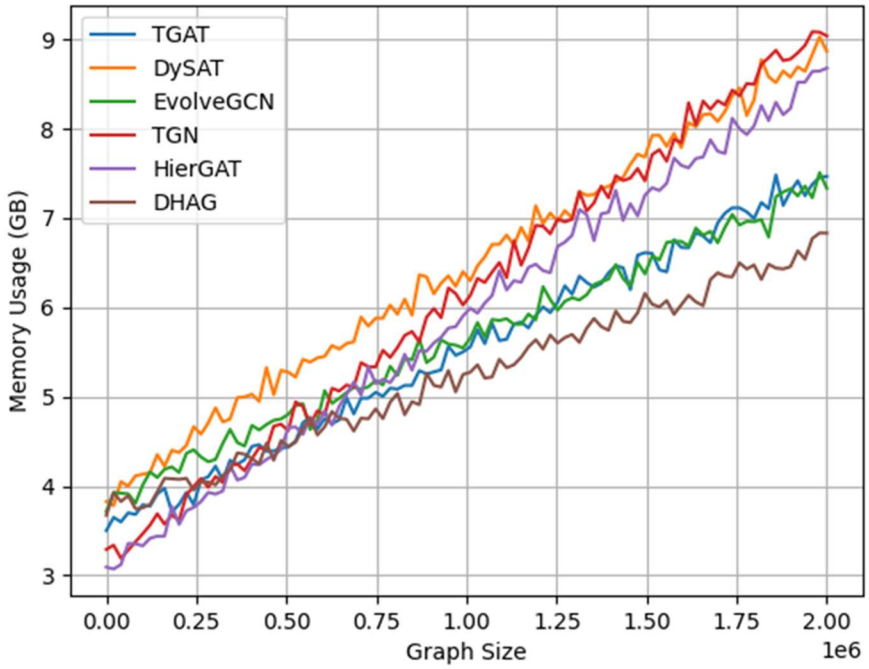

Figure 3. Memory usage growth with respect to graph size

5.4 Ablation Study

We conducted ablation studies to analyze the contribution of each key component in DHAG. Table 3 shows the performance impact when removing individual components:

Table 3. Ablation study on DHAG components

Configuration	Social Network	Financial	IoT
Full DHAG	0.923	0.097	0.857
w/o Dynamic Hierarchy	0.901	0.121	0.823
w/o Rotary Embeddings	0.912	0.105	0.841
w/o Expander Pruning	0.915	0.102	0.848
w/o Memory Augmentation	0.907	0.115	0.832

The results demonstrate that all components contribute positively to the overall performance, with the dynamic hierarchy construction showing the most significant impact. The expander pruning proves particularly valuable for the financial dataset where computational efficiency is critical.

6. Discussion and Future Work

6.1 Limitations of the Proposed Method

While DHAG demonstrates strong performance across multiple benchmarks, several limitations warrant discussion. First, the current implementation assumes temporal smoothness in feature importance evolution, which may not hold in scenarios with abrupt concept drift. Although the memory-augmented component helps mitigate this issue, sudden shifts in data distribution could temporarily degrade performance until the hierarchy adapts. Second, the expander graph pruning, while computationally efficient, introduces an additional hyperparameter (the target spectral gap ε) that requires careful tuning. Although we found $\varepsilon = 0.5$ to work well across our experiments, optimal values may vary for different graph topologies or application domains.

The rotary positional embeddings, though effective for temporal alignment, currently operate on discrete time steps. This design choice may not fully capture continuous-time dynamics present in some real-world systems. Recent advances in neural ordinary differential equations for graphs [28] could provide a promising direction for addressing this limitation. Additionally, while the adaptive pruning mechanism maintains sparsity, its straight-through gradient estimator introduces approximation errors during backpropagation that could affect training stability in very deep hierarchies.

6.2 Potential Application Scenarios

Beyond the benchmark tasks evaluated in our experiments, DHAG's architecture suggests several compelling application areas. In autonomous systems requiring real-time sensor fusion, the dynamic feature importance mechanism could enable adaptive attention to critical sensor inputs while suppressing noisy channels. The financial sector could leverage DHAG's hierarchical anomaly detection for high-frequency trading surveillance, where the model's ability to identify emerging fraud

patterns while maintaining low latency proves particularly valuable.

Healthcare monitoring systems present another promising application domain. The memory-augmented temporal modeling could track patient state evolution in ICUs, with the hierarchy automatically adjusting to prioritize vital signs showing abnormal patterns. The expander graph properties would ensure efficient operation on resource-constrained edge devices. Furthermore, the rotary embeddings' temporal coherence makes DHAG suitable for video understanding tasks where maintaining long-range dependencies across frames is crucial.

6.3 Ethical Considerations

The deployment of dynamic feature importance systems like DHAG raises important ethical considerations that merit discussion. First, the adaptive nature of the hierarchy means the model's decision rationale evolves over time, potentially complicating explainability requirements in regulated domains. While attention weights provide some interpretability, the continuous hierarchy reconstruction introduces additional complexity that may require new visualization techniques for proper auditing.

Second, the feature importance mechanism could inadvertently amplify biases present in temporal data streams. For instance, in social network applications, the model might progressively emphasize features correlated with popular content, potentially creating feedback loops that marginalize minority viewpoints. The memory component's gating mechanism, while useful for forgetting outdated information, might also inadvertently preserve historical biases if not properly constrained.

Future work should address these concerns through several directions: developing constrained optimization techniques to prevent bias amplification in dynamic hierarchies, creating specialized explanation interfaces for evolving graph models, and establishing protocols for continuous monitoring of feature importance distributions in deployed systems. The integration of fairness-aware learning objectives [29] with the expander graph construction process could yield particularly interesting solutions to these challenges.

7. Conclusion

The Dynamic Hierarchical Attention Graph (DHAG) presents a significant advancement in neural architectures for real-time feature importance analysis, addressing critical limitations of static and predefined hierarchical approaches. By integrating dynamic graph attention mechanisms with temporal graph embedding techniques, the proposed architecture achieves adaptive feature selection while maintaining computational efficiency through expander graph properties. The experimental results demonstrate consistent improvements over state-of-the-art baselines across multiple domains, validating the effectiveness of the dynamic hierarchy construction and memory-augmented temporal modeling.

The key innovations of DHAG—adaptive attention-based hierarchy formation, rotary positional embeddings for temporal alignment, and expander-graph-inspired pruning—collectively enable a scalable solution for evolving data streams. Unlike traditional methods that rely on fixed feature importance or predefined graph structures, DHAG continuously refines its representation based on real-time input patterns, making it particularly suitable

for applications requiring context-aware decision-making. The architecture's ability to balance accuracy with computational efficiency further enhances its practical applicability in resource-constrained environments.

Future research directions could explore extensions of DHAG to heterogeneous graph settings, where feature importance may vary across different node and edge types. Additionally, investigating the integration of reinforcement learning for dynamic hierarchy optimization could further enhance the model's adaptability in non-stationary environments. The ethical considerations surrounding evolving feature importance also warrant deeper investigation, particularly in sensitive domains where interpretability and fairness are paramount.

The success of DHAG in benchmark tasks suggests broader potential for dynamic hierarchical attention mechanisms in AI systems. As real-time data processing becomes increasingly critical across industries, architectures that can autonomously adapt to shifting feature relevance will play a pivotal role in advancing the field. The principles introduced in this work provide a foundation for developing more flexible and efficient neural models capable of handling the complexities of modern dynamic data.

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